



# Characterizing Human Mesenchymal Stem Cell Motility in Response to the Wound Environment Jenna A. Catalano, Hannah E. Knudsen, John A. McGlynn and Kelly M. Schultz Department of Chemical and Biomolecular Engineering, Lehigh University, Bethlehem PA, 18015

### Abstract

Human mesenchymal stem cells (hMSCs) provide an opportunity to treat chronic wounds by helping these wounds progress past the inflammatory phase. They perform an important regulatory function in the inflammation stage of wound healing by reducing secretion of tumor necrosis factor-alpha (TNF- $\alpha$ ), an inflammatory cytokine, and increasing secretion of interleukin-10 (IL-10) and IL-4, which are anti-inflammatory cytokines. The ability of hMSCs to migrate through the extracellular matrix (ECM) is affected by their secretion of matrix metalloproteinases (MMPs) and tissue inhibitors of metalloproteinase (TIMPs). MMPs promote hMSC migration by degrading components of the ECM to form micrometer channels to travel through to reach the wound site. TIMPs inhibit MMP degradation. Synthetic hydrogel scaffolds with encapsulated hMSCs are designed to mimic the ECM and are being developed to deliver additional hMSCs to the wound site to assist with healing. The body releases signals from the wound site during healing, including cytokines TNF- $\alpha$  and transforming growth factor beta (TGF- $\beta$ ). TNF- $\alpha$ increases hMSC secretion of MMPs and TGF-β increases secretions of TIMPs. In this work, we incubate hMSC-laden synthetic scaffolds in media with cytokines to model the native environment these materials would experience after implantation in a wound. We also develop models using Michaelis-Menten enzymatic inhibition kinetics to predict how the cytokine TNF-α affects the process of hMSC-mediated remodeling of synthetic hydrogel after implantation.



## Logarithmic slope **Generalized Stokes**of MSD Einstein relation $\langle \Delta r^2 (t) \rangle = \frac{k_B T}{\pi a} J(t)$ $\alpha =$ $d \log \tau$ $\langle \Delta r^2(t) \rangle$ – Mean-squared displacement (MSD) J(t) – Creep Compliance $k_{\rm B}$ – Boltzmann constant T – Temperature a – probe particle radius d – dimensionality $\tau$ – lag time $(\mu m^2)$ $r^{2}(\tau)\rangle$ 0.01 n = 0.25 $\langle \nabla |$ 0.001 0.1 τ (S)

while 1 MIJ.run("Select None"); MIJ.run("Measure"); MIJ.run("Open Next");

break;



